

integrated using standard formulas, but the results are not particularly simple. Finally, we note that the above ideas may be carried out to extend general second-order recurring sequences to continuous functions, as indicated in Section 2. However, because of increased complexity, we do not state the more general results here.

## REFERENCES

1. Eric Halsey, "The Fibonacci Number  $F_u$  where  $u$  is Not an Integer," Fibonacci Quarterly, 3 (1965), pp. 147-152.
2. F. D. Parker, "A Fibonacci Function," Fibonacci Quarterly, Feb. 1968, pp. 1-2.

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[Continued from p. 244.]

It is well known that the number of protons  $Z$  in the lightest stable nuclei is, as a rule, equal to the number of neutrons  $N$ . When the atomic number  $Z$  increases, the proton-neutron ratio in the nucleus  $Z/N$  decreases gradually from 1.0 to about 0.63.

The ratio of  $Z/N$  in the heaviest practical stable nucleus ( ${}_{92}\text{U}^{238}$ ) — found in nature — reaches already the value 0.620, but with the still heavier hypothetical element 114 this ratio ( $114/184 = 0.6195$ ) would yield (if this element could eventually be created) one of the best approximations to the "g. r."-value found in the world of atoms.

It is interesting to note that the ratio of protons of fission-fragments in above nuclear reaction ( $70/114 = 0.6140$ ) also lies in the range of the "g. r."-value and differs from this value by 0.0040 only.

## REFERENCES

1. "Onward to Element 126," Scientific American, Vol. 217 (October 1967), p. 50.
2. G. T. Seaborg, "Zukunftsaaspekte der Transuranforschung" \* Physikalische Blätter, Heft 8 (August 1967), pp. 354-361.

\*This is an abstract from the statement that the Nobel-Prize-winning chemist G. T. Seaborg made on the occasion of receiving the Willard-Gibbs-medal on 20 May 1966 in Chicago.

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