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Polynomial Extensions of the Lucas and Ginsburg Identities Revisited, Fibonacci Quart. 55 (2017), no. 2, 147-151.

## Abstract

We extend the charming identity [10]

$$
g_{n+k}^{3}-(-1)^{k} l_{k} g_{n}^{3}+(-1)^{k} g_{n-k}^{3}= \begin{cases}f_{k} f_{2 k} f_{3 n}, & \text { if } g_{r}=f_{r} \\ \left(x^{2}+4\right) f_{k} f_{2 k} l_{3 n}, & \text { if } g_{r}=l_{r}\end{cases}
$$

to Jacobsthal, Vieta, and Chebyshev polynomial families. We then deduce the corresponding Jacobsthal and Jacobsthal-Lucas numeric identities.

