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#### Abstract

Let $b \geq 2$ be a given integer. In this paper, we show that there are only finitely many positive integers $d$ that are not squares, such that the Pell equation $X^{2}-d Y^{2}=1$ has two positive integer solutions $(X, Y)$ with the property that their $X$-coordinates are base $b$-repdigits. Recall that a base $b$-repdigit is a positive integer whose digits have the same value when written in base $b$. We also give an upper bound on the largest such $d$ in terms of $b$.


