# Prapanpong Pongsriiam <br> Fibonacci and Lucas Numbers which have Exactly Three Prime Factors and Some Unique Properties of $F_{18}$ and $L_{18}$, Fibonacci Quart. 57 (2019), no. 5, 130-144. 


#### Abstract

Let $F_{n}$ and $L_{n}$ be the $n$th Fibonacci and Lucas numbers, respectively. Let $\omega(n)$ be the number of prime factors of $n, d(n)$ the number of positive divisors of $n, A(n)$ the least positive reduced residue system modulo $n$, and $\ell(n)$ the length of the longest arithmetic progressions contained in $A(n)$. On the occasion of attending the 18th Fibonacci Conference, we give some results concerning $\omega\left(F_{n}\right), \omega\left(L_{n}\right), d\left(F_{n}\right)$, and $d\left(L_{n}\right)$ which reveal a unique property of $F_{18}$ and $L_{18}$. We also find the solutions to the equation $\ell(n)=18$ and show a connection between them and $F_{18}$. Some examples and numerical data are also given.


