the generating function for the zeroth column is

$$
\left(1-2 x+2 x^{2}\right) /\left(1-3 x+x^{2}\right)
$$

the generating function for the row sums is

$$
\left(1-3 x+4 x^{2}-2 x^{3}\right) /\left(1-5 x+7 x^{2}-2 x^{3}\right)
$$

and the generating function for the rising diagonal sums is

$$
\begin{gathered}
\left(1-3 x+4 x^{2}\right) /\left(1-4 x+3 x^{2}+2 x^{3}-x^{4}\right) \\
\text { REFERENCES }
\end{gathered}
$$

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The term TRIBONACCI number was coined by Mark Feinberg
in [1]above.

