the generating function for the zeroth column is

$$(1-2x+2x^2)/(1-3x+x^2)$$
,

the generating function for the row sums is

$$(1 - 3x + 4x^2 - 2x^3)/(1 - 5x + 7x^2 - 2x^3)$$

and the generating function for the rising diagonal sums is

$$(1 - 3x + 4x^2)/(1 - 4x + 3x^2 + 2x^3 - x^4)$$
.

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- 2. A. F. Horadam, "Pell Identities," *The Fibonacci Quarterly*, Vol. 9, No. 3 (Oct. 1971), p. 247.
- J. G. Kemeny, H. Mirkil, J. L. Snell, and G. L. Thompson, *Finite Mathematical Structures*, Prentice-Hall, Inc., Englewood Cliffs, N.J., 1959, p. 93.
- 4. Problem H-183, The Fibonacci Quarterly, Vol. 9, No. 4 (1971), p. 389, by V. E. Hoggatt, Jr.

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In the paper Tribonacci Sequence by April Scott, Tom Delaney and V. E. Hoggatt, Jr. in the October FQJ the following references should be appended.

1. Mark Feinberg, Fibonacci-Tribonacci, FQJ Oct.,1963 pp71-74

2. Trudy Tong, Some Properties of the Tribonacci Seqquence and The Special Lucas Sequence, Unpublished Masters Thesis, San Jose State University, August,1970 3. C. C. Yalavigi, Properties of the Tribonacci Numbers FQJ Oct. 1972 pp231-246

4. Krishnaswami Alladi, On Tibonacci Numbers and Related Functions, FQJ Feb., 1977 pp42-46

5. A. G. Shannon, Tribonacci Numbers and Pascals Pyramid, FQJ Oct., 1977 pp 268+ 275

The term TRIBONACCI number was coined by Mark Reinberg in [1]above.