## RECURSIONS AND PASCAL-TYPE TRIANGLES

## REFERENCES

- 1. K. Alladi & V. E. Hoggatt, Jr. "On Tribonacci Numbers and Related Functions." *Fibonacci Quarterly* **15.1** (1977):42-45.
- 2. M. Bicknell. "A Primer on the Pell Sequence and Related Sequences." *Fibonacci Quarterly* **13.4** (1975):345-49.
- 3. M. Boisen, Jr. "Overlays of Pascal's Triangle." Fibonacci Quarterly 7.2 (1969):131-38.
- 4. M. Feinberg. "Fibonacci-Tribonacci." Fibonacci Quarterly 1.3 (1963):71-74.
- 5. H. W. Gould. "A Variant of Pascal's Triangle." Fibonacci Quarterly 3.4 (1965):257-71.
- 6. N. J. A. Sloane. A Handbook of Integer Sequences. New York: Academic Press, 1973.
- 7. M. E. Waddill & L. Sacks. "Another Generalized Fibonacci Sequence." *Fibonacci Quar*terly 5.3 (1967):209-22.
- 8. C. K. Wong & T. W. Maddocks. "A Generalized Pascal's Triangle." *Fibonacci Quarterly* **13.2** (1975):134-36.

AMS numbers: 11B83; 11B39

 $\diamond \diamond \diamond$ 

Dear Editor:

May 10, 1993

May I inform you that I have just read with interest the paper "On Extended Generalized Stirling Pairs" by A. G. Kyriakoussis, which appeared in *The Fibonacci Quarterly* **31.1** (1993):44-52. I wish to mention that Kyriakoussis' "EGSP" ("extended generalized Stirling pair") is actually a particular case included in the second class of extended "GSN" pairs considered in my paper "Theory and Application of Generalized Stirling Number Pairs," *J. Math. Res. and Exposition* **9** (1989):211-20. His first characterization theorem for "EGSP" is a special case of my Theorem 6 (*loc. cit.*). In fact, a basic result corresponding with his case appeared much earlier in the paper by J. L. Fields & M. E. H. Ismail, entitled "Polynomial Expansions," *Math. Comp.* **29** (1975):894-902.

Thank you for your attention.

Yours sincerely,

L. C. Hsu

Department of Applied Mathematics University of Manitoba Winnipeg, Manitoba, Canada R3T 2N2